

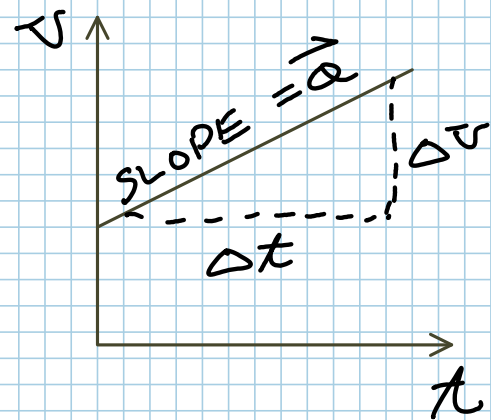
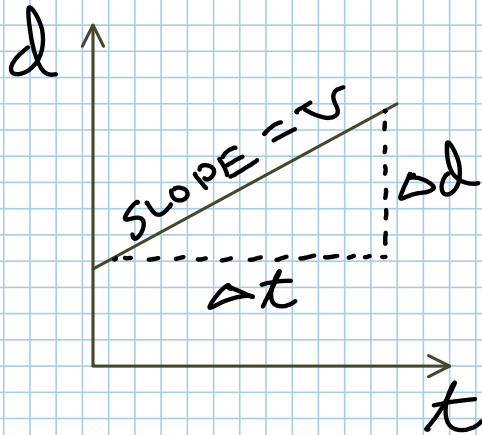
KINEMATICS

Monday, October 19, 2015

11:48 AM

THE STUDY OF MOTION, WITHOUT ASKING WHY.

GR 10: $\vec{v} = \frac{\Delta \vec{d}}{\Delta t}$ AND $\vec{a} = \frac{\Delta \vec{v}}{\Delta t}$



GR 11: THE "BIG FOUR" KINEMATICS EQUATION

SAME THIS YEAR

(GR 12) $\vec{v} = \left(\frac{v + v_0}{2} \right)$ AND $d = \vec{v} t$

$d = \left(\frac{v + v_0}{2} \right) t \leftarrow (\text{GR 11})$

THIS YEAR: WE GO 2-0!

SAME 5 VARIABLES, TIMES TWO!

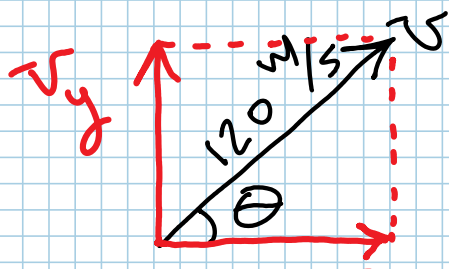
v_0, v, t, a, d IN x AND y
THAT'S 10 VARIABLES!

USE A DATA TABLE! PROBLEMS COMING...

PROBLEM: ALL KINEMATICS FORMULAE
(THE BIG FOUR) ARE ONE DIMENSIONAL
THEY MAY ONLY BE USED IN ONE-D
AT A TIME.

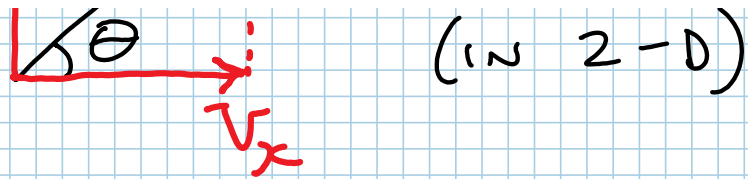
SOLUTION: ONLY DEAL WITH ONE DIMENSION
AT A TIME. THIS REQUIRES
VECTOR COMPONENTS.

EX IF WE HAVE A VECTOR WHICH
POINTS IN A DIRECTION WE DON'T
LIKE, WE MAY REPLACE THAT
VECTOR WITH TWO (OR MORE)
"COMPONENT" VECTORS WHICH ADD
UP TO THE ORIGINAL.



$$\vec{V} = \vec{V}_x + \vec{V}_y$$

(IN 2-D)



$$\left. \begin{aligned} v_x &= 120 \cos \theta \\ v_y &= 120 \sin \theta \end{aligned} \right\} \begin{array}{l} \text{COMPONENTS} \\ \text{IN } x \text{ AND } y \end{array}$$

PROJECTILE PROBLEMS

- ① A BALL IS THROWN OVER LEVEL GROUND AT 13 m/s [40° ABOVE HORIZONTAL].
 FIND THE RANGE OF THE BALL.
 (HORIZONTAL DISPLACEMENT, d_x)



TABLE :

	x	y
v_0	$13 \cos 40^\circ$	$13 \sin 40^\circ$
v		$-13 \sin 40^\circ$
a	0	-9.80
t	1.7	$= 1.7$ ←

USE VERTICAL (y)
 DATA ONLY

$$v = v_0 + at$$

$$t = \frac{v - v_0}{a}$$

t	1.7	= 1.7
d	?	0

$$d_x = v_x t$$

$$= (13 \cos 40^\circ)(1.70)$$

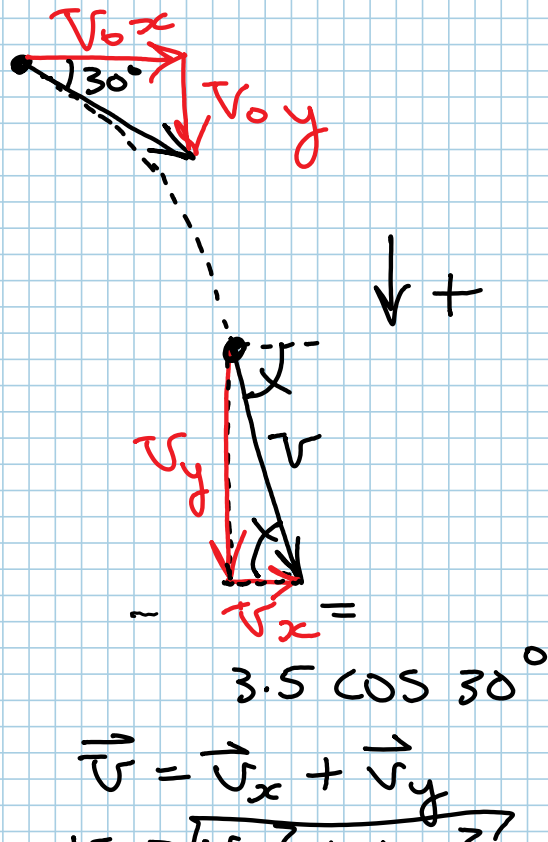
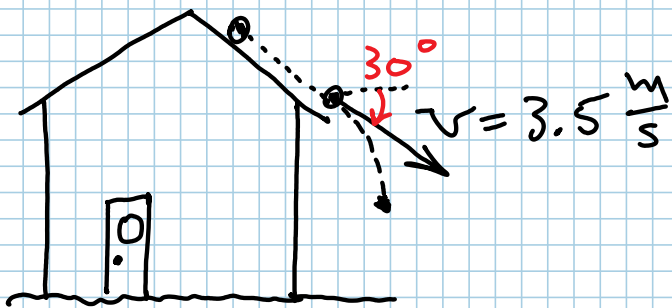
$$d_x = 17 \text{ m}$$

$$t = \frac{v - v_0}{a}$$

$$= \frac{-13 \sin 40^\circ - 13 \sin 40^\circ}{-9.80}$$

$$= 1.705 \text{ s}$$

EX (2) A ROCK ROLLS OFF OF A ROOF AT AN ANGLE OF 30.0° BELOW HORIZONTAL (AS SHOWN). FIND THE VELOCITY AFTER 1.00 s .



	x	y
v_0	$3.5 \cos 30^\circ$	$3.5 \sin 30^\circ$
v	—	?
d	—	—
a	0	9.80
t	1.00	= 1.00

$$\vec{v} = \vec{v}_x + \vec{v}_y$$

$$t \mid 1.00 = 1.00$$

$$\vec{v} = \vec{v}_x + \vec{v}_y$$
$$v = \sqrt{v_x^2 + v_y^2}$$

$$v_y = v_{0y} + a_y t$$

$$= 3.5 \sin 30^\circ + 9.80(1.00)$$

$$= 1.75 + 9.80$$

$$v_y = 11.55 \frac{\text{m}}{\text{s}}$$

$$v = \sqrt{(3.5 \cos 30^\circ)^2 + (11.55)^2}$$

$$v = 11.94 \frac{\text{m}}{\text{s}} = 12 \frac{\text{m}}{\text{s}}$$

$$\theta = \tan^{-1} \left(\frac{v_y}{v_x} \right) = \tan^{-1} () = 75^\circ$$

$$\vec{v} = 12 \frac{\text{m}}{\text{s}} [75^\circ \text{ BELOW HORIZONTAL}]$$

#2 KEY ~~a~~